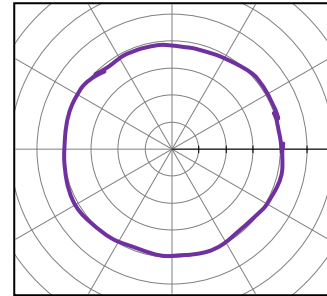


**Determine the equation and then draw a graph.**

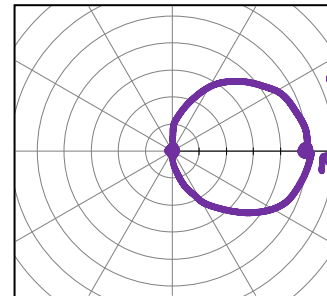
- 1) Circle with radius 4; center at origin:

$r = 4$



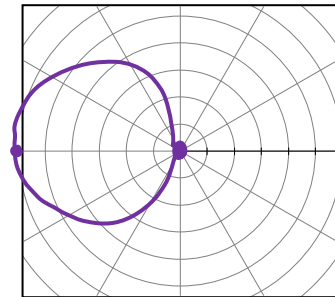
- 2) Circle with radius <sup>d=10</sup>5; one endpoint of diameter lies on origin; lying on the positive x-axis:

$r = 10 \cos \theta$



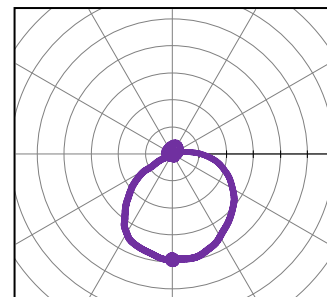
- 3) Circle with radius <sup>d=6</sup>3; one endpoint of diameter lies on origin; lying on the negative x-axis:

$r = -6 \cos \theta$



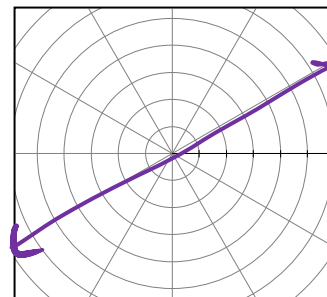
- 4) Circle with radius <sup>d=4</sup>2; one endpoint of diameter lies on origin; lying on the negative y-axis:

$r = -4 \sin \theta$



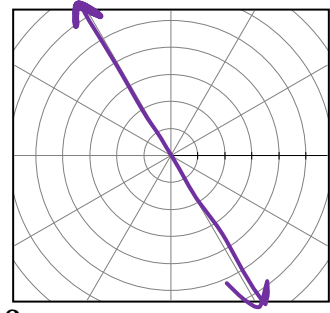
- 5) Line with positive slope (passes through 1<sup>st</sup> and 3<sup>rd</sup> quadrant):

$\theta = \frac{\pi}{6}$



- 6) Line with negative slope (passes through 2<sup>nd</sup> and 4<sup>th</sup> quadrant):

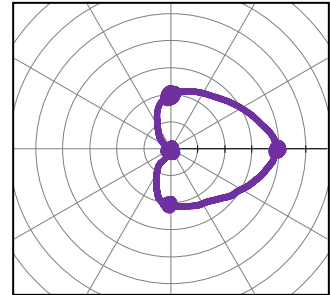
$$\theta = \frac{2\pi}{3}$$



- 7) Cardioid with x-intercepts (4, 0°) and (0, 180°); y-intercepts +/- 2:

$$r = 2 + 2\cos\theta$$

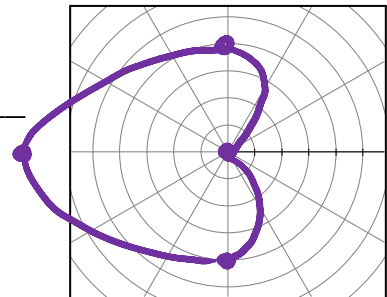
Give the y-intercepts in polar form:  $(2, \frac{\pi}{2}) (2, \frac{3\pi}{2})$



- 8) Cardioid with x-intercepts (0, 0°) and (8, 180°); y-intercepts +/- 4:

$$r = 4 - 4\cos\theta$$

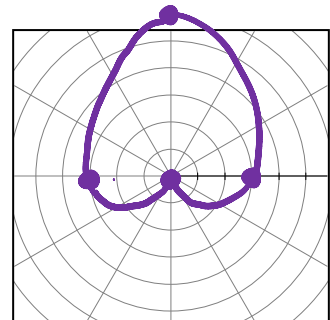
Give the y-intercepts in polar form:  $(4, \frac{\pi}{2}) (4, \frac{3\pi}{2})$



- 9) Cardioid with y-intercepts (6, 90°) and (0, 270°); x-intercepts +/- 3:

$$r = 3 + 3\sin\theta$$

Give the x-intercepts in polar form:  $(3, 0) (3, \pi)$



- 10) Cardioid with y-intercepts (0, 90°) and (4, 270°); x-intercepts +/- 2:

$$r = 2 - 2\sin\theta$$

Give the x-intercepts in polar form:  $(2, 0) (2, \pi)$

